



# A new view on Auger data and cosmogenic neutrinos in light of different nuclear disintegration and air-shower models

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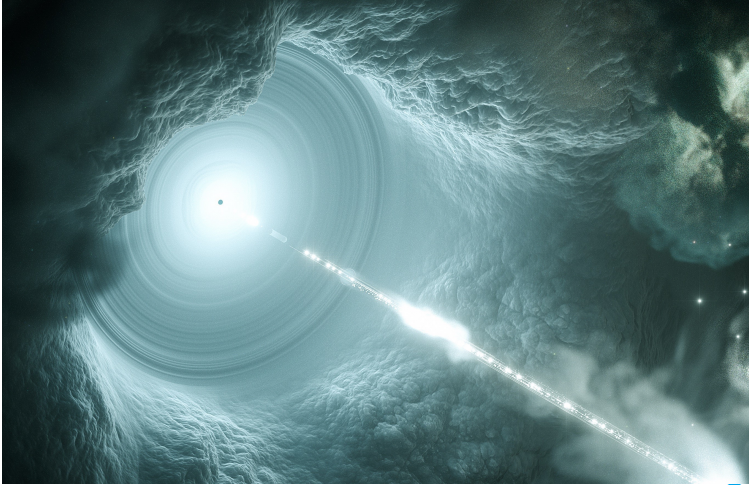


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# Origin of the features in UHECR spectrum and composition?

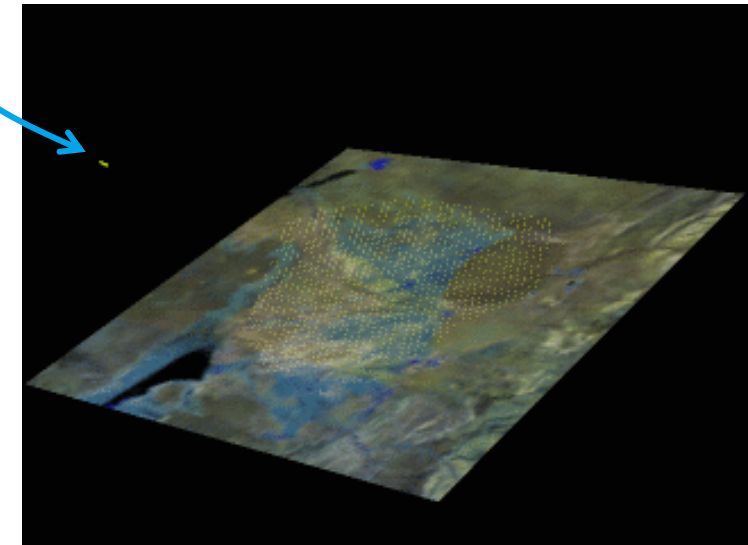
**Generic** accelerator



**Simulate transport** of cosmic rays  
through extragalactic medium

**Assume** that there is **one dominant type** of UHECR accelerators

**Interpret Pierre Auger data**



This talk: Heinze, AF, Boncioli & Winter, ApJ 873 (2019)

Related works:

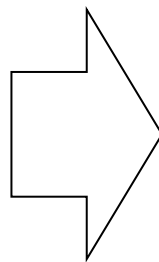
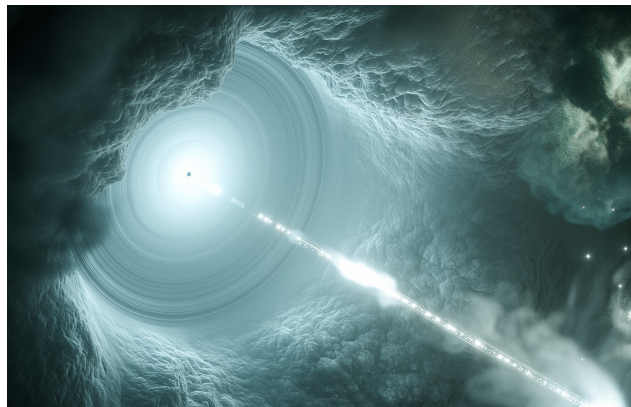
Aab et al. (PAO), JCAP 1704, 038 (2017)

Alves Batista et al., JCAP 1901, 002 (2019)

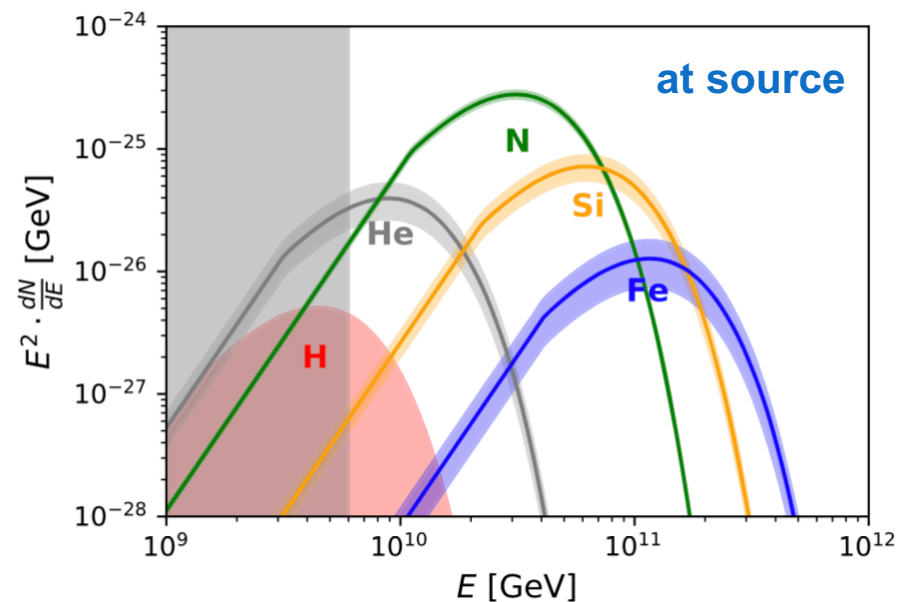


# Source model

**One** dominant accelerator type



**Rigidity-dependent** cutoff  
**Five** injection masses



**Source spectrum:**

$$J_A(E) = \mathcal{J}_A \left( \frac{E}{10^9 \text{ GeV}} \right)^{-\gamma} \times f_{\text{cut}}(E, Z_A, R_{\text{max}}) \times n_{\text{evol}}(z)$$

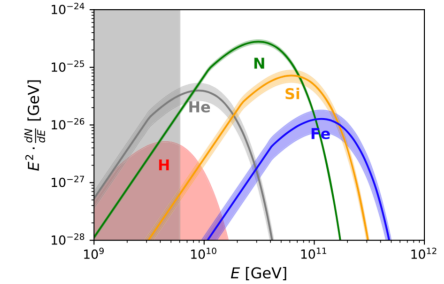
**Cosmological density evolution:**  $n_{\text{evol}}(z) = (1 + z)^m$

- seven free parameters
- Choice of cutoff shape
- Choice of injection masses

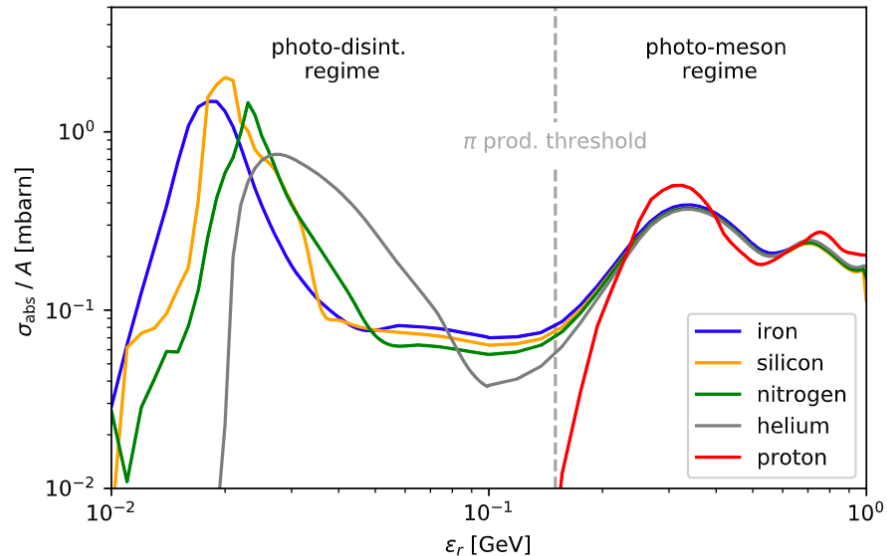


# Transport model

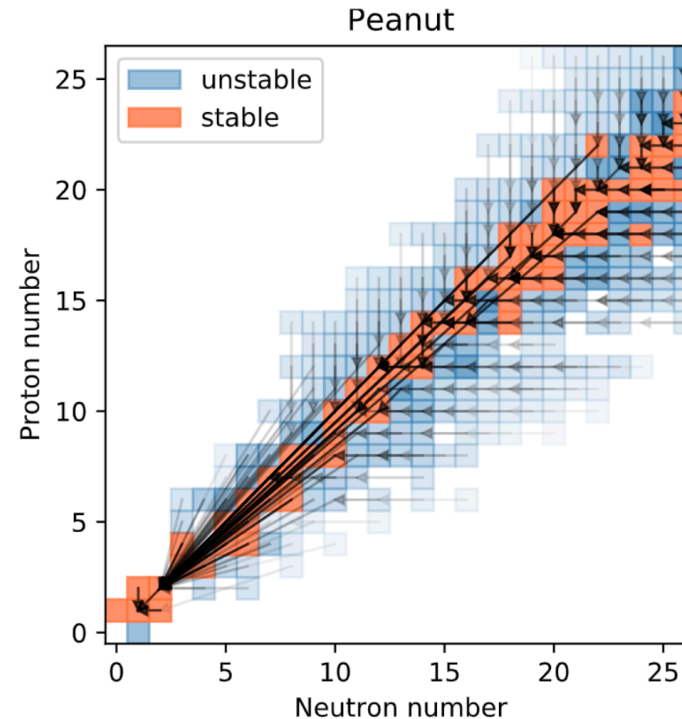
$$\partial_t Y_i(E, z) = + \underbrace{\partial_E (H E Y_i)}_{\text{comoving particle density}} - \underbrace{\partial_E \left( \frac{dE}{dt} Y_i \right)}_{\text{adiabatic cooling}} - \underbrace{\Gamma_i Y_i + \sum_j Q_{j \rightarrow i}}_{\text{pair - production}} + \underbrace{\mathcal{L}_i}_{\text{photo-nuclear}} + \underbrace{\mathcal{L}_i}_{\text{Injection}}$$



## Photo-nuclear interaction cross sections



## Yields of secondary nuclei



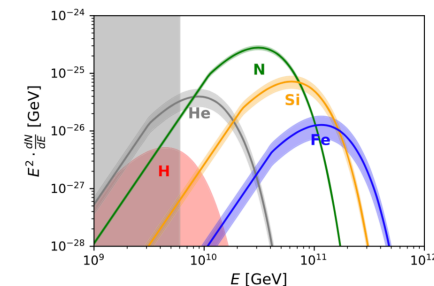
- Choice of photo-nuclear model
- (Choice of photo-meson model)



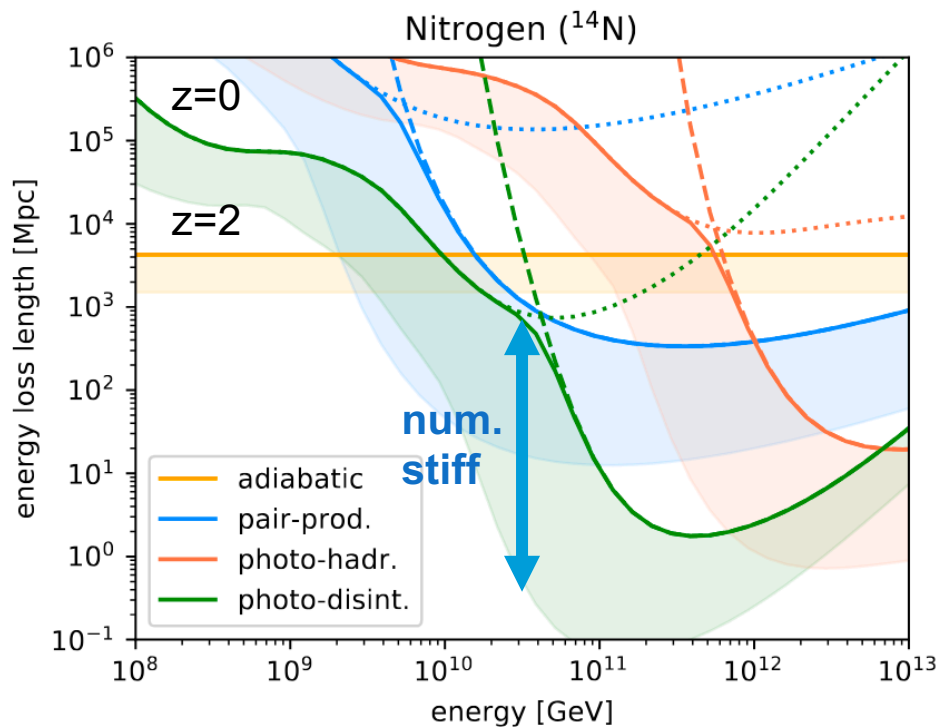
# Transport model

$$\partial_t Y_i(E, z) = + \text{comoving particle density} \cdot \text{adiabatic cooling} - \text{pair - production} - \text{photo-nuclear} + \text{Injection}$$

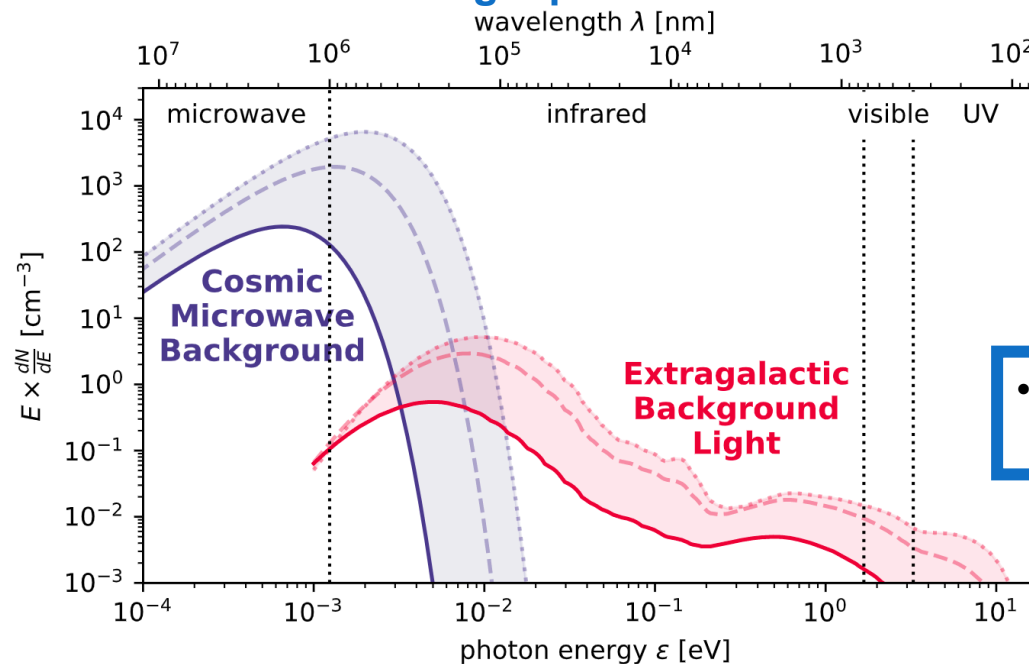
$$\partial_t Y_i(E, z) = + \partial_E (H E Y_i) - \partial_E \left( \frac{dE}{dt} Y_i \right) - \Gamma_i Y_i + \sum_j Q_{j \rightarrow i} + \mathcal{L}_i$$



Redshift dependence of **interaction rates**



**Target photons**



• Choice of EBL model

CIB: Gilmore+, MNRAS422, (2012)



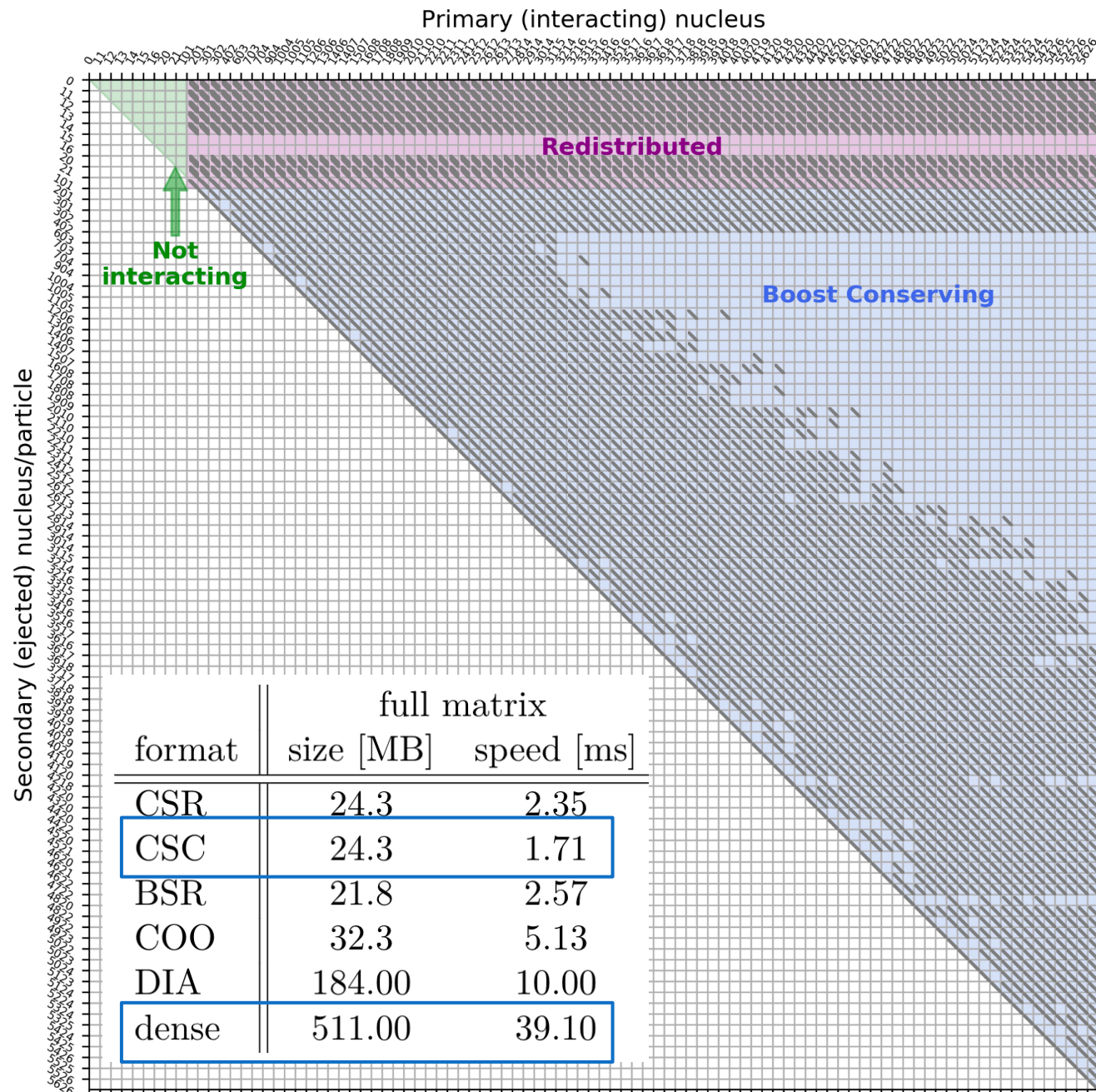
# Transport code - PriNCE

All interaction rates are redshift dependent

$$Q_{j \rightarrow i}(Y_j, E_i) = \int_{E_i}^{\infty} dE_j Y_j(E_j, z) \times \int d\varepsilon n_{\gamma}(\varepsilon) h_{j \rightarrow i}(E_i, E_j, y(E_j, \varepsilon))$$

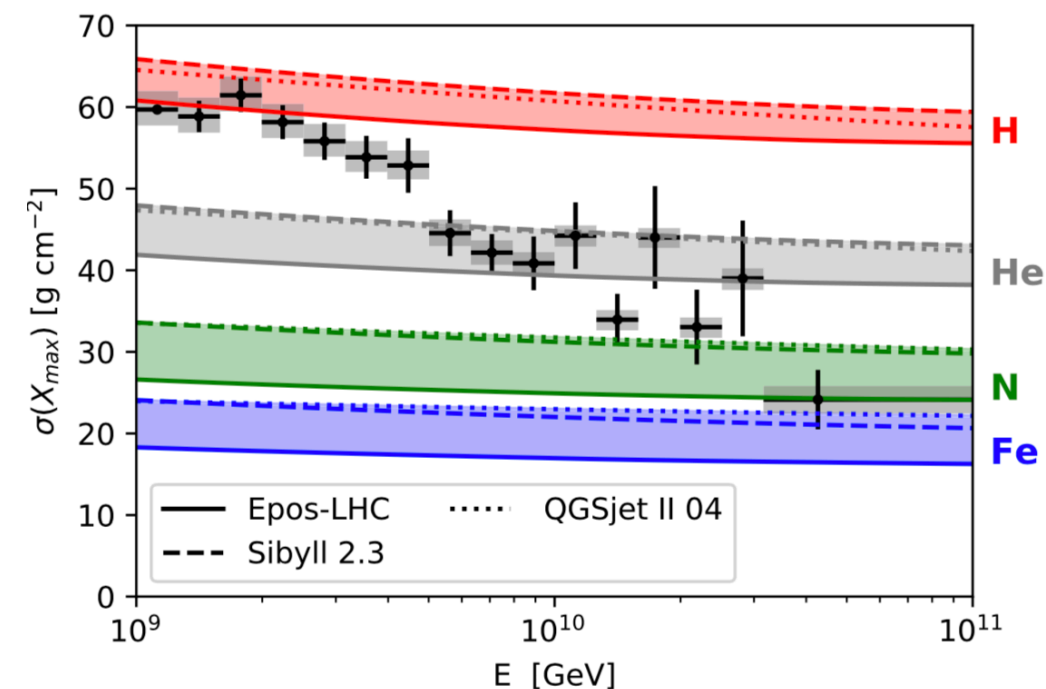
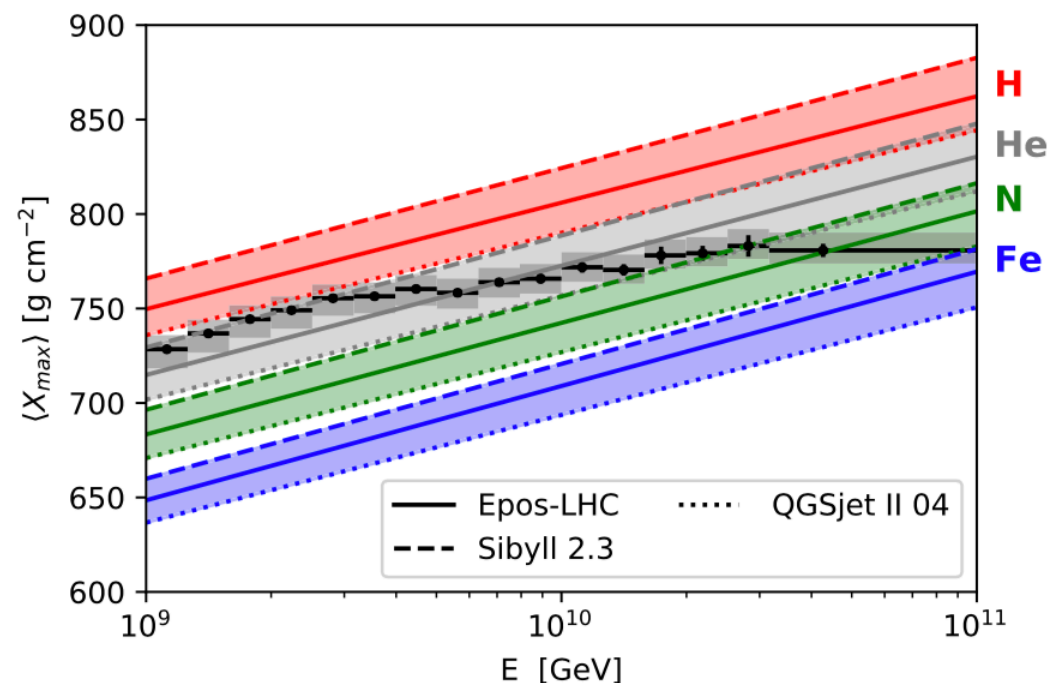
particle density  
Photon density      Photo-nuclear c.s.

- Photo-hadronic interactions requires **double-integrals at ~each redshift** (z) step
- Exploit efficiency of sparse matrix multiplication
- PriNCE: 800**ms for proton** propagation, **~30 seconds for Fe from z=1**
- Models can be chosen freely, **no precomputation**



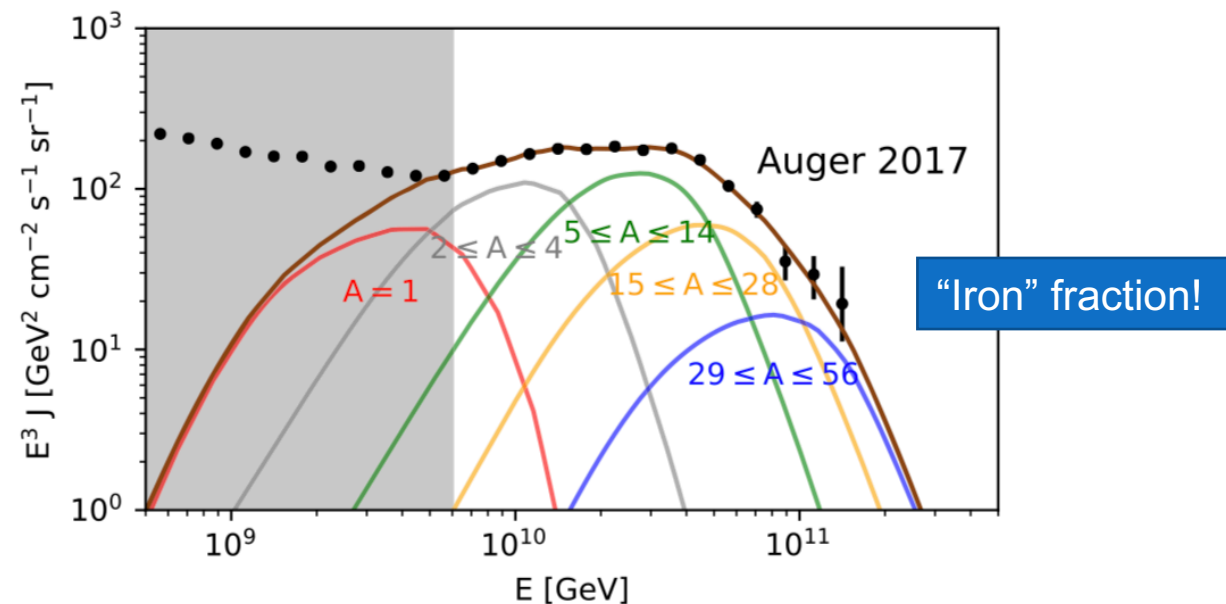
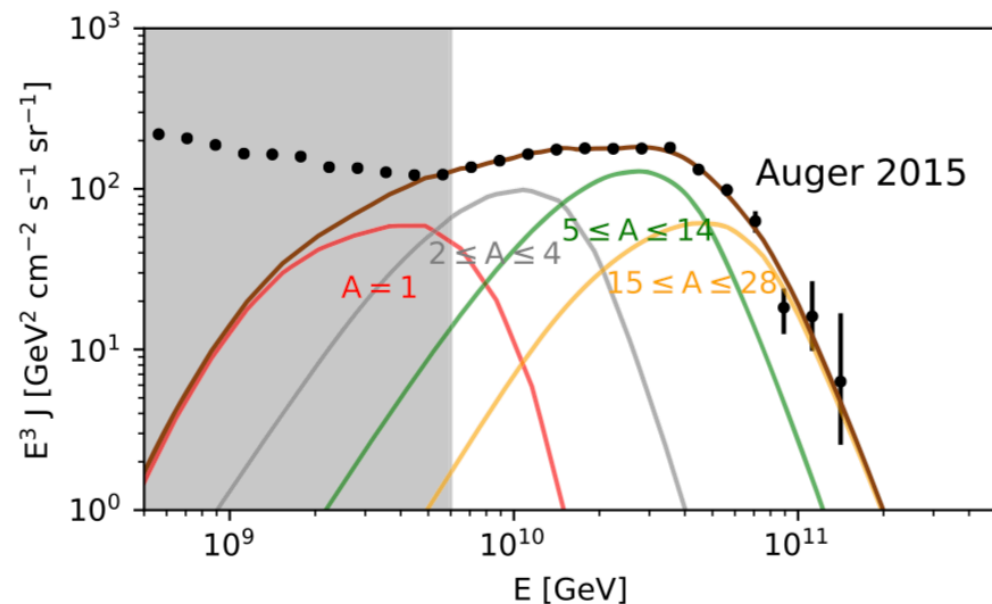


# Model dependence from air-shower detection



- Translation from mass composition at Earth  $\rightarrow X_{\max}$
- **Absolute requirement: fit spectrum + both moments**
- **Choice of three** post-LHC hadronic **models**

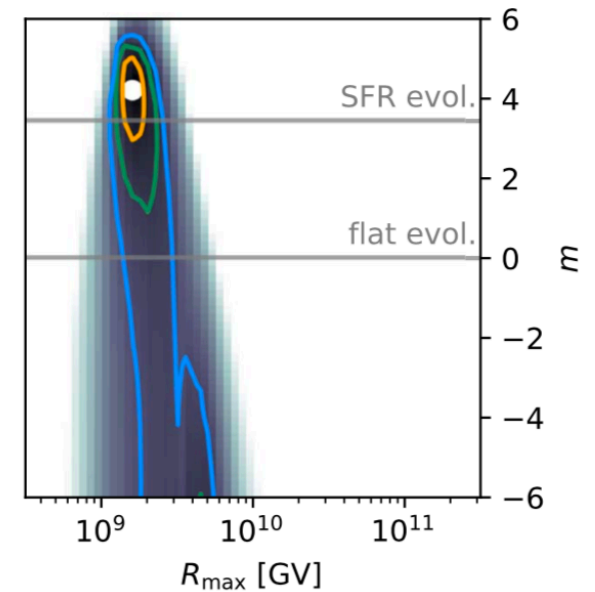
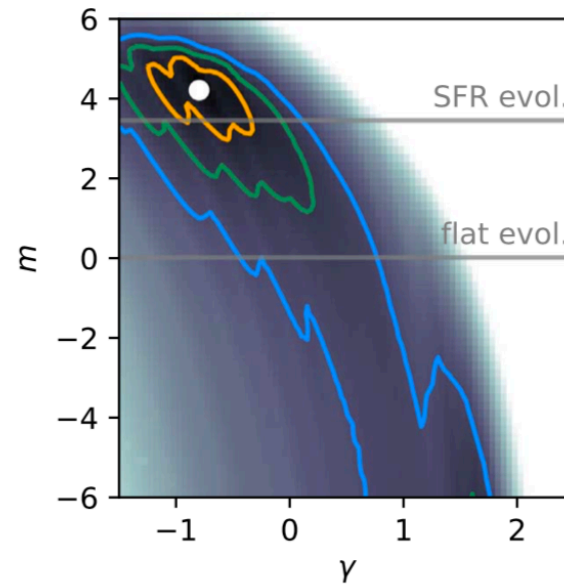
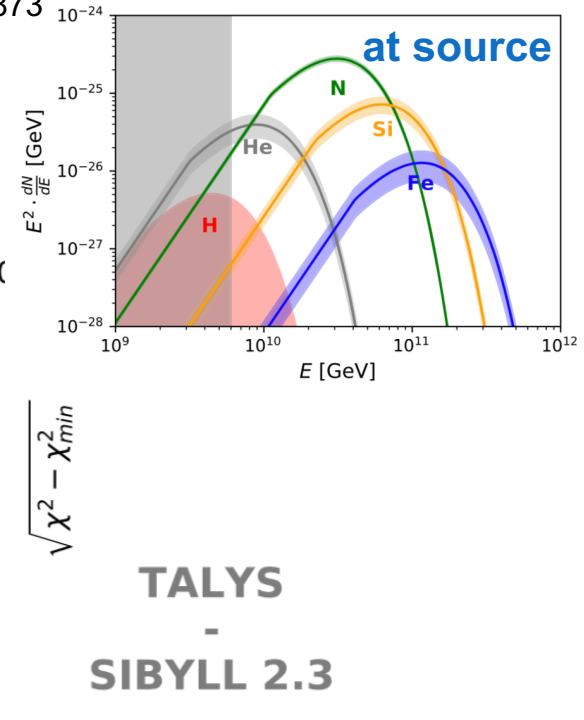
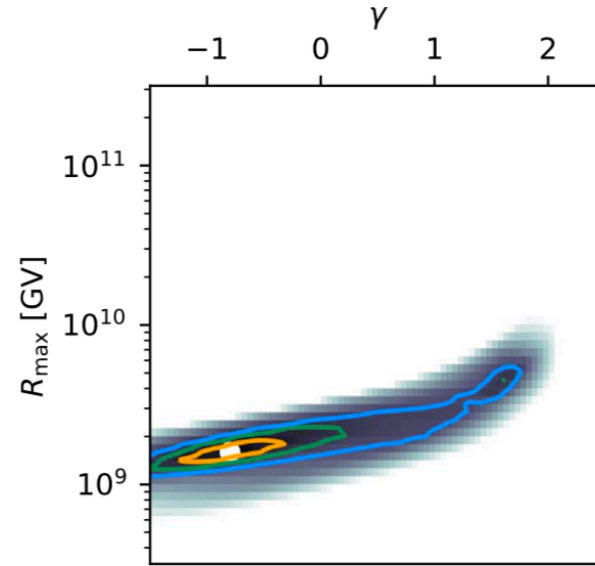
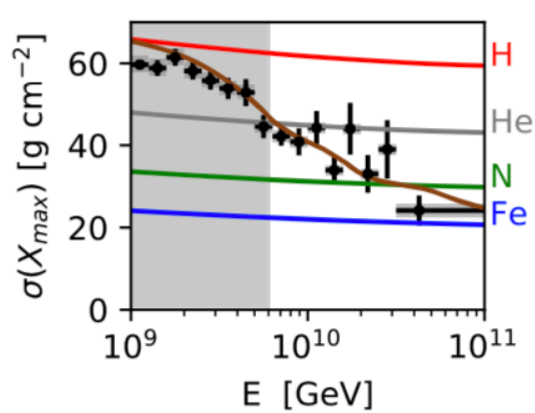
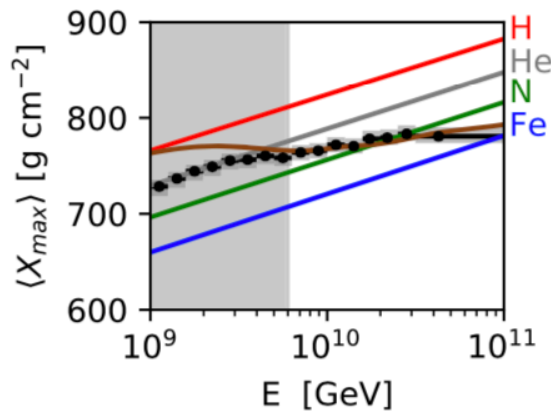
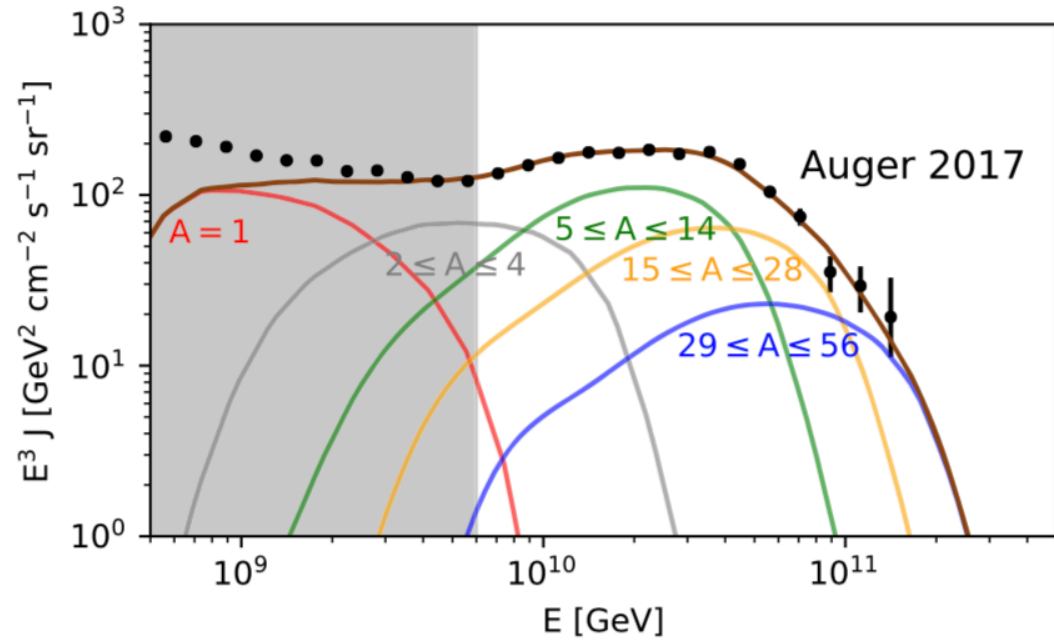
# Impact of “more data” on the fit



Auger ICRC 2015: Valino+, Porcelli+  
Auger ICRC 2017: Bellido+, Fenu+

Fit conditions identical to Auger’s “Combined Fit”  
Aab+ JCAP04(2017)038, i.e. flat evolution ( $m=0$ )

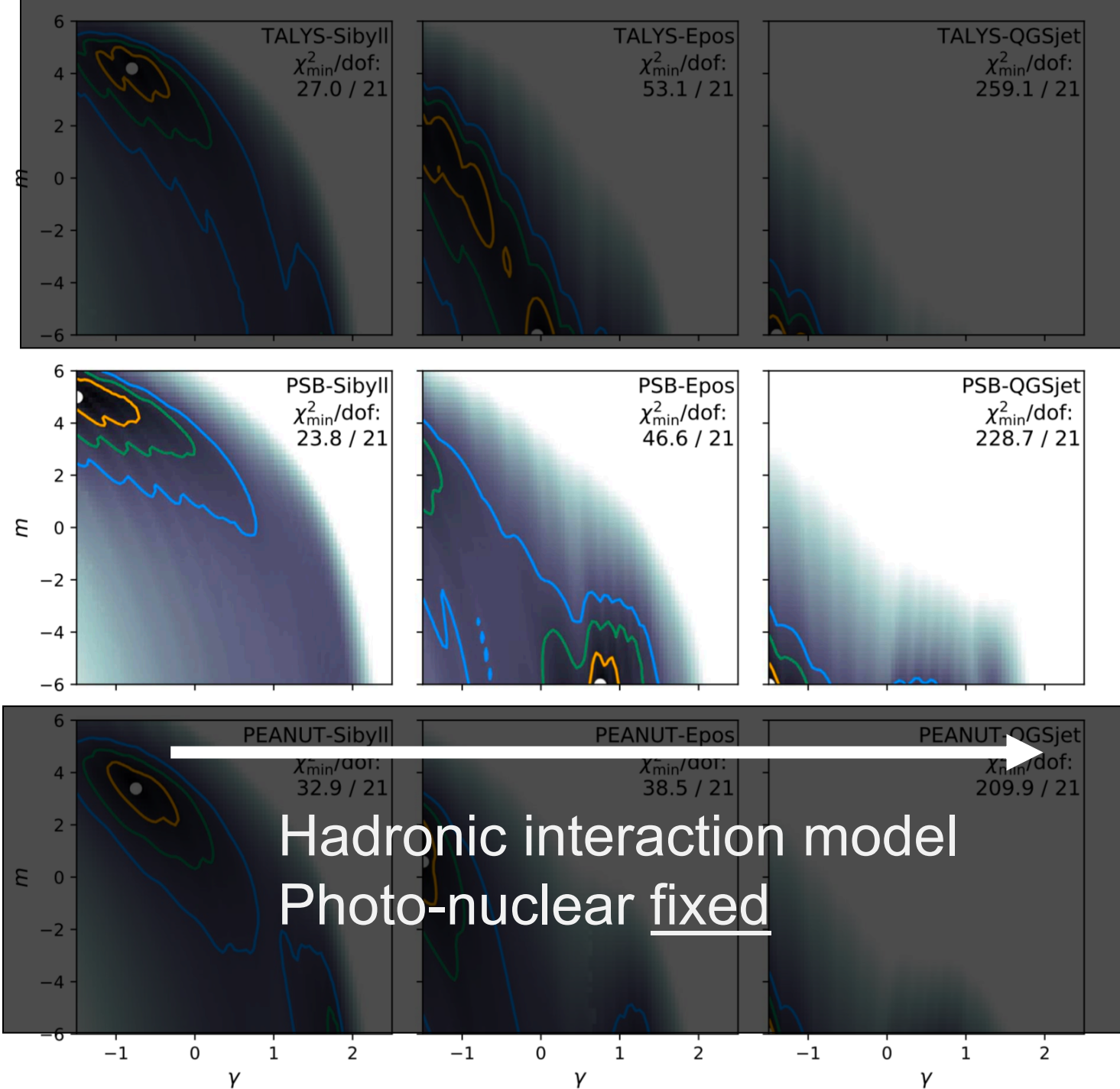
# Best '3D' fit ( $m$ , $R_{\max}$ , $\gamma$ )





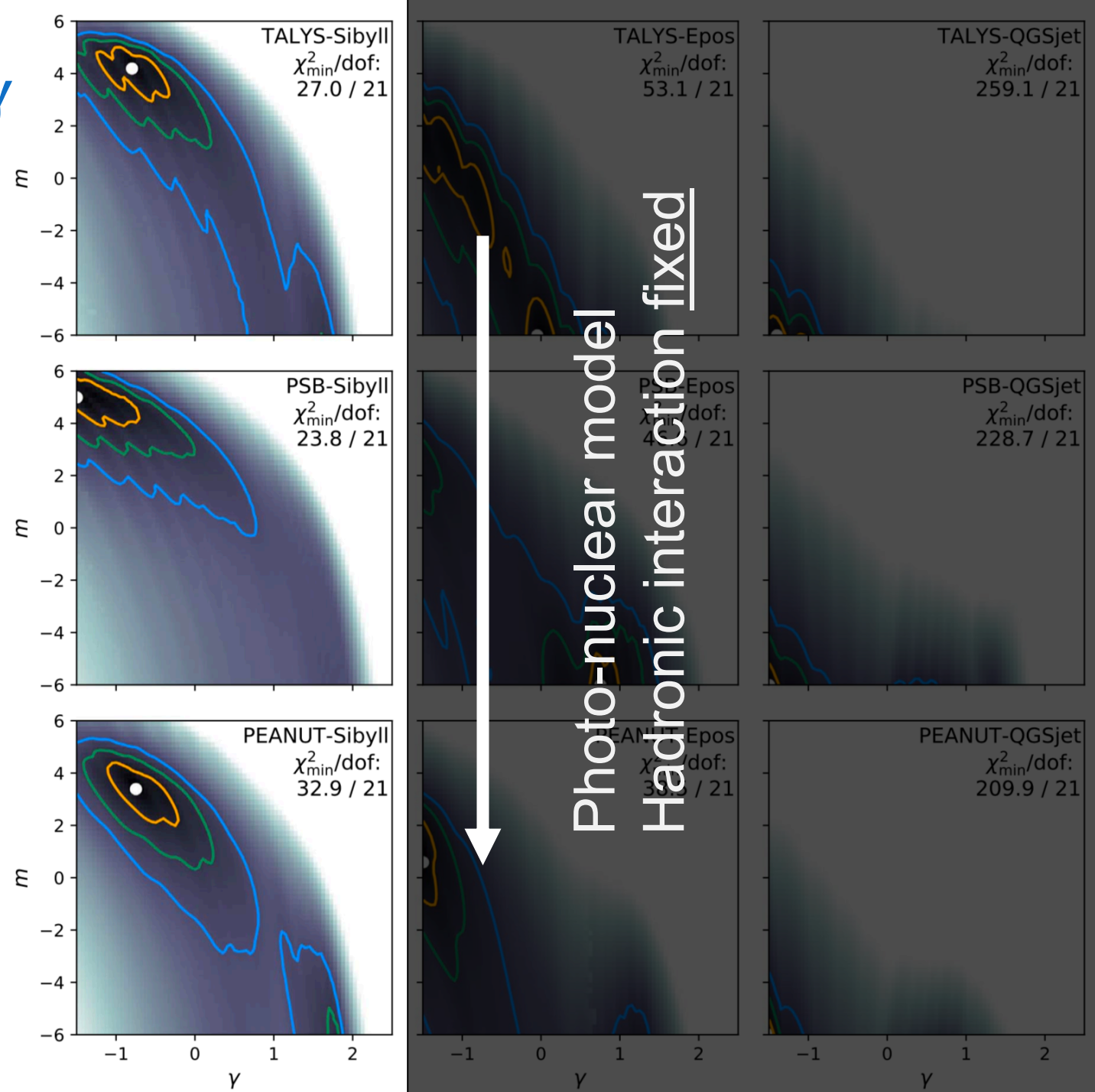
# Model-dependence in $m - \gamma$

- **Highest impact** on fit above the ankle from hadronic model



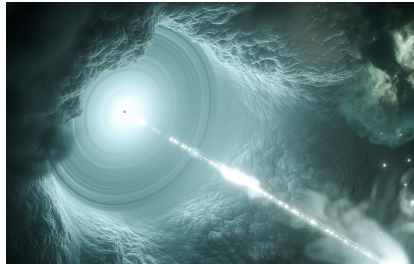
# Model-dependence in $m - \gamma$

- **Highest impact** on fit above the ankle from hadronic model
- **Sub-leading impact** at highest energies from:
  1. Disintegration (GDR) model
  2. Extragalactic background light
  3. Photo-meson model
- **Fitting the ankle may break degeneracy:** but more astrophysical assumptions, magnetic fields etc.



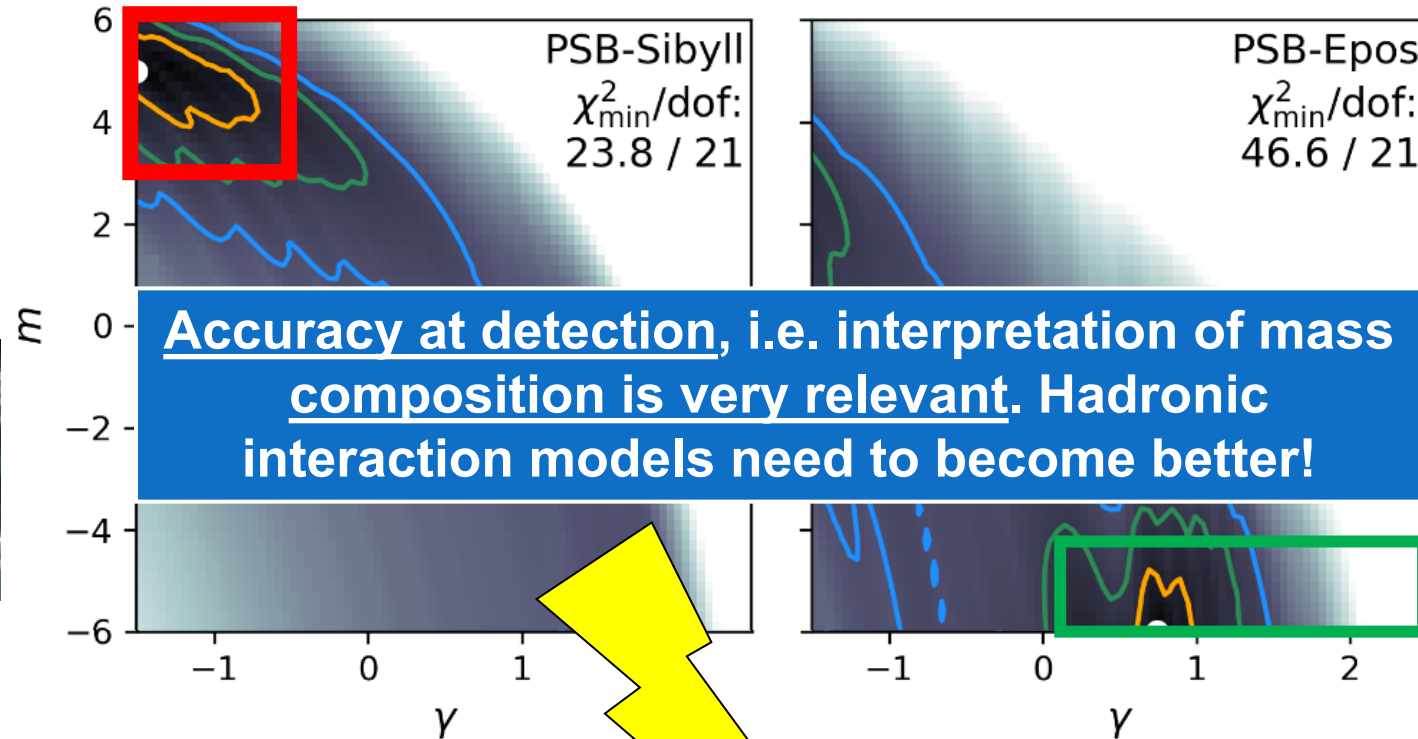
# In a nutshell

Density evolves  
like: Stars,  
Galaxies,  
Supernovae,  
AGN

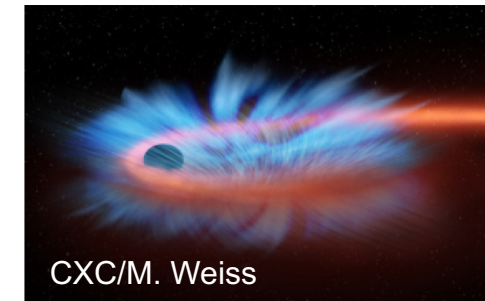
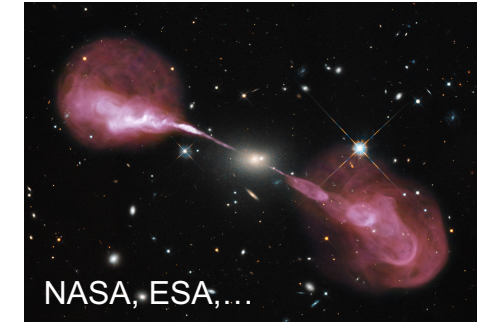


Sibyll 2.3

Epos-LHC

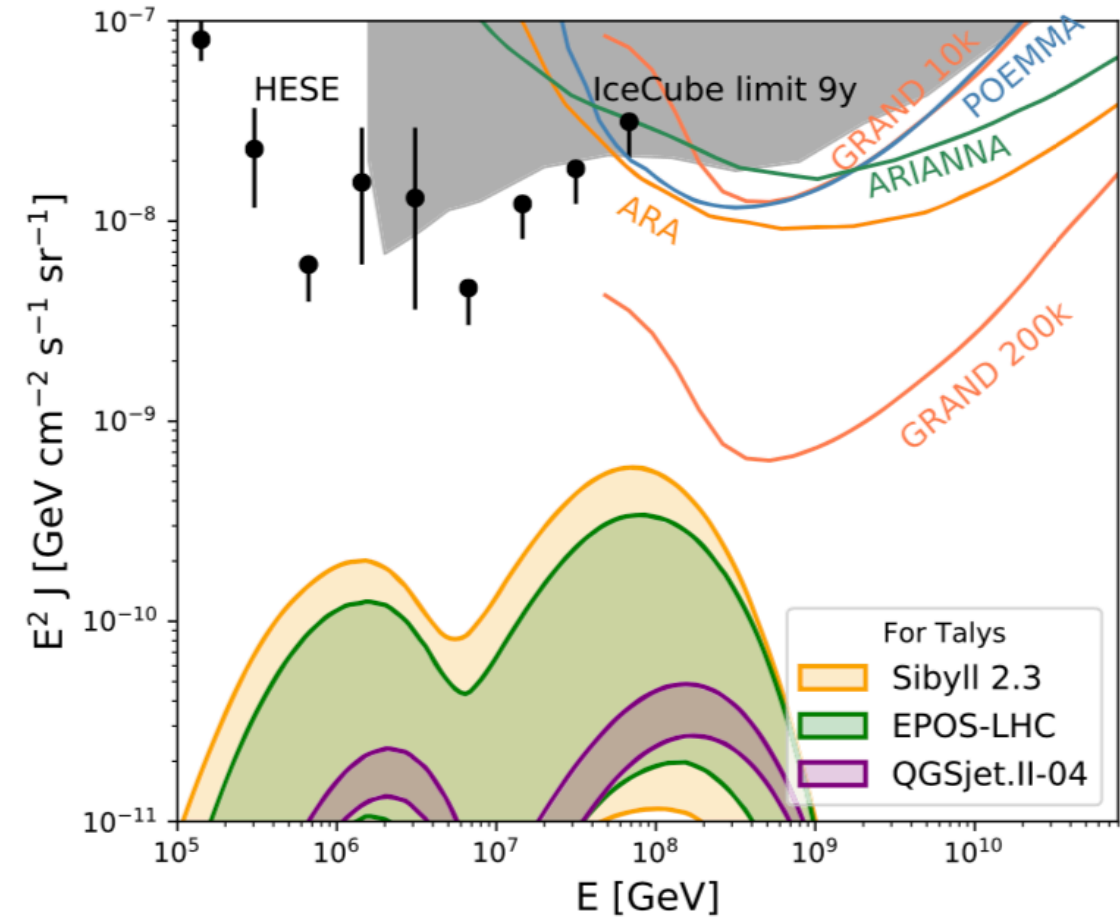
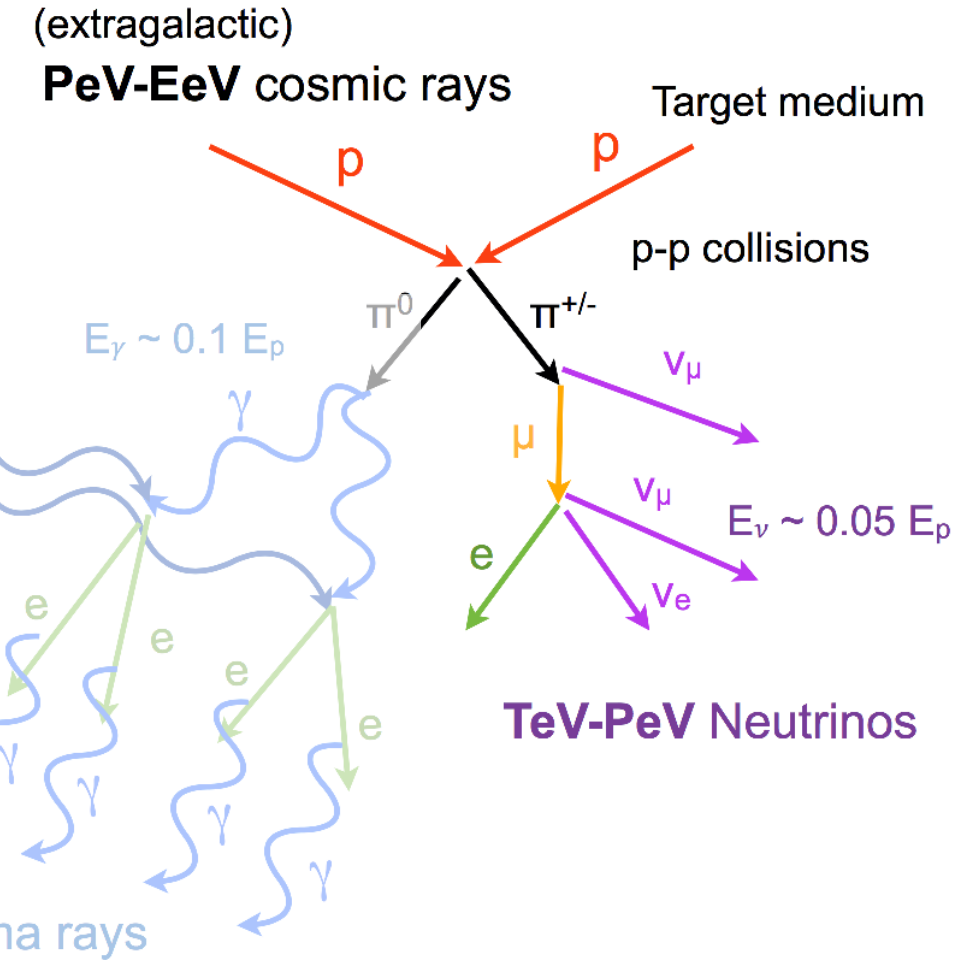


Few strong  
local sources,  
or intermediate  
mass black  
holes

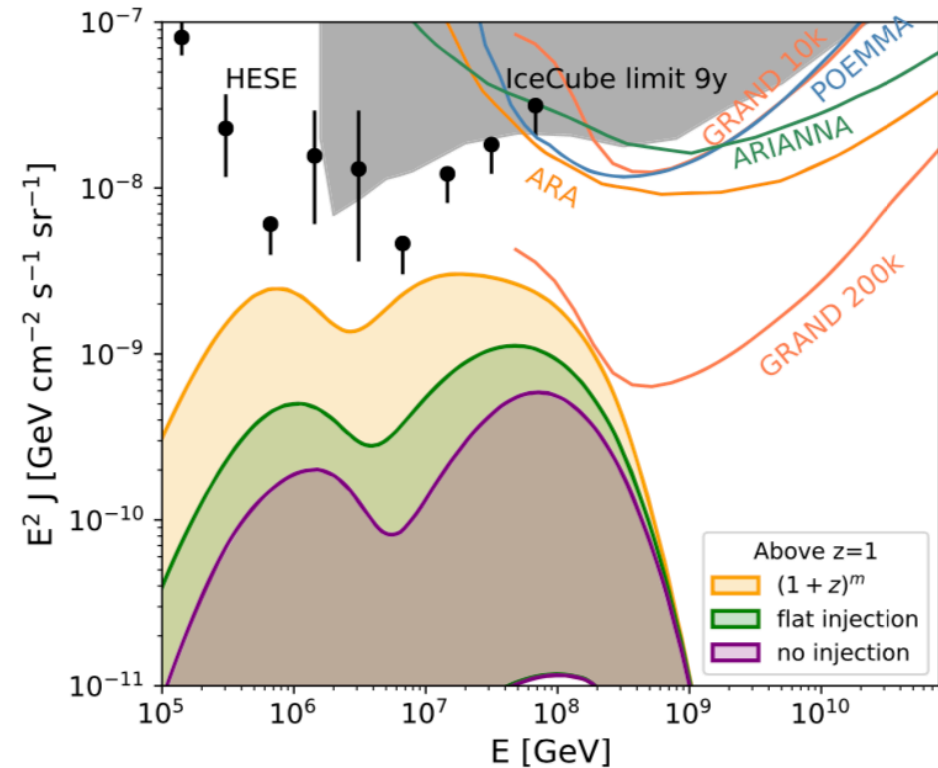
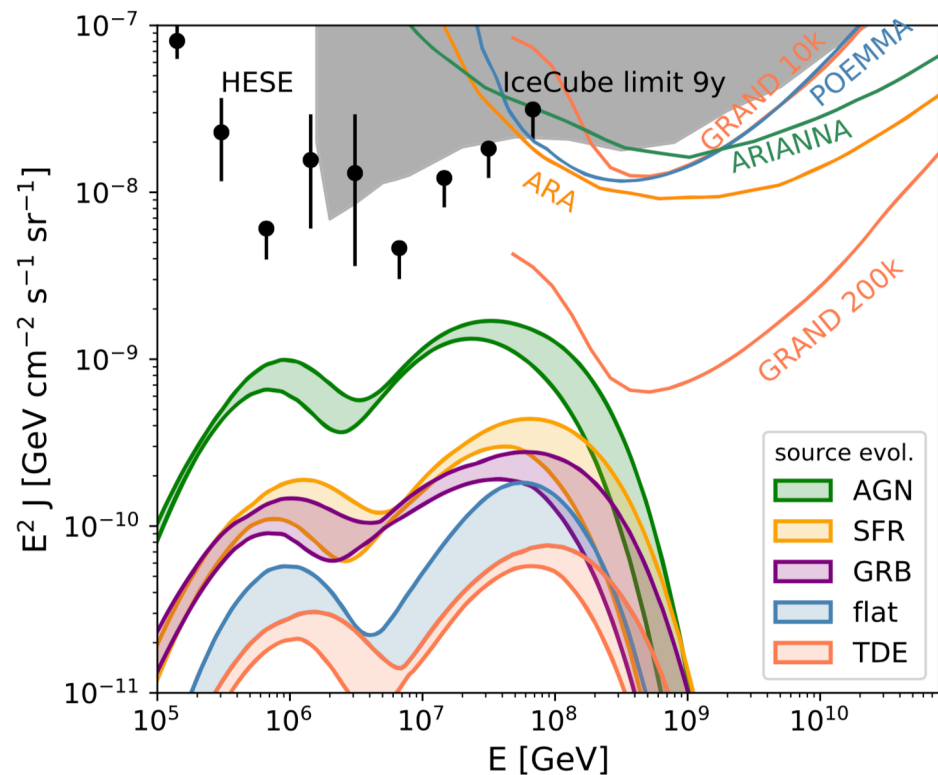




# What does it mean for cosmogenic neutrinos?



# Impact from sources with $z > 1$



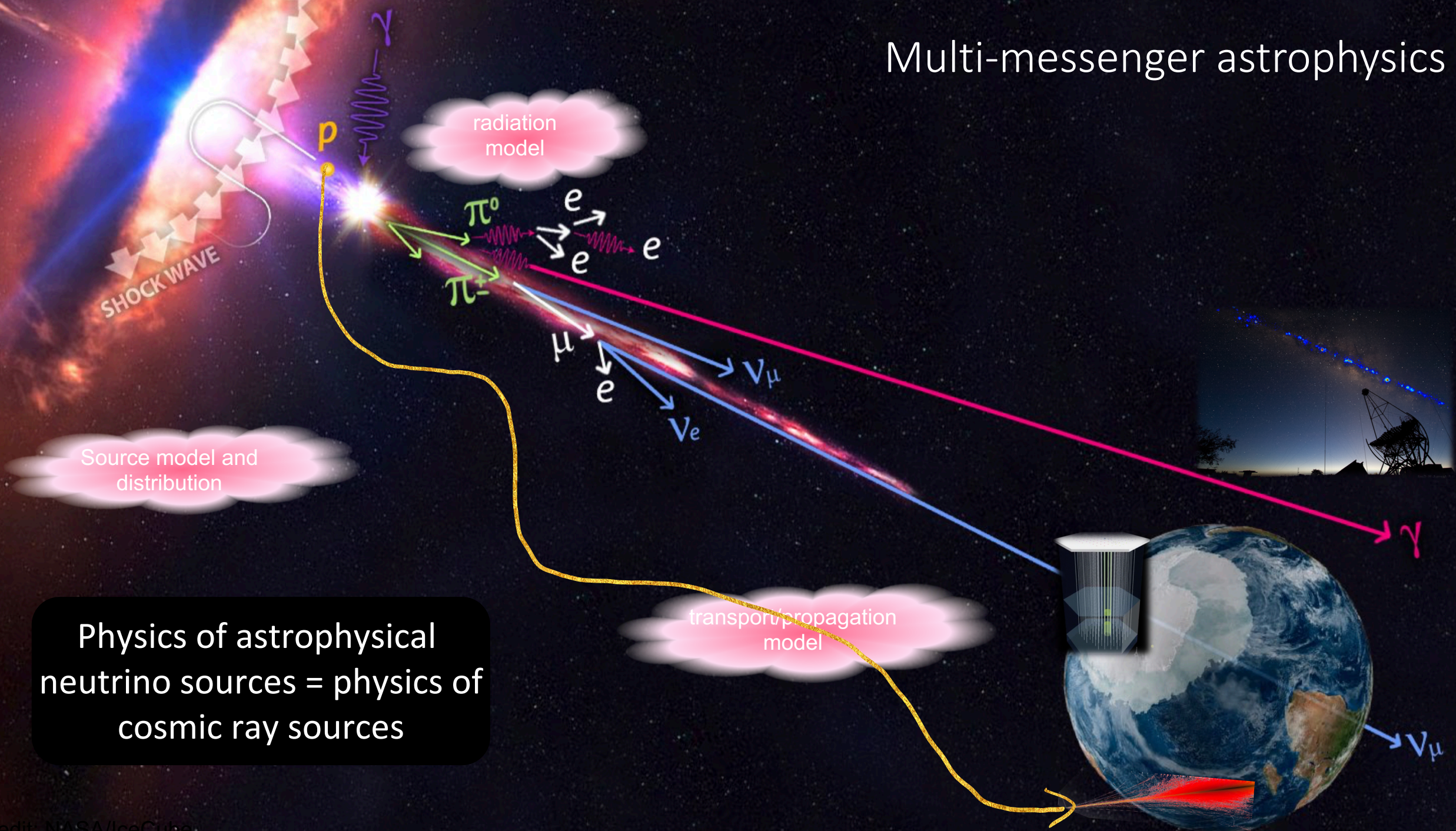
- **Detection unlikely**, if UHECR come from **one dominant nuclear source**
- A subset of protonic sources with high  $E_{\text{max}}$  may give some small contribution (see A. van Vliet+ PoS(ICRC2019)1025 & M. S. Muzio+ PoS(ICRC2019)364 )
- **Cosmogenic** neutrinos constitute a **small background** for neutrino telescopes

# Conclusion

1. Astrophysical **interpretation** of highest energy cosmic ray observations significantly **limited by precision at detection**
2. **Planned detectors not sensitive enough to detect cosmogenic neutrinos** if only one dominant UHECR source type and Auger's composition results are taken at face value
3. At the same time, **cosmogenic neutrinos unlikely to be a large background** for UHE neutrino telescopes
4. **Composition is a crucial observable** that has to be better understood (**Upgrades** in Auger and TA are aiming towards improvements)
5. For present detectors, the **hadronic physics is a limiting factor**. Reliable composition only from fluorescence so far. **Hybrid** detection (radio, IceTop in-ice) looks **promising**. But **exposure** is in the **SD** data.
6. **Future** UHECR experiments have **to retain/improve composition sensitivity** (GRAND's  $\delta X_{\text{max}} \sim 40\text{g/cm}^2$  would be insufficient without additional hybrid detectors)



# Multi-messenger astrophysics



Physics of astrophysical  
neutrino sources = physics of  
cosmic ray sources



# Tables

**Table 2**

Best-fit Parameters Corresponding to the Results of the Fit with Flat Source Evolution for the Combination of PSB and EPOS-LHC, Using the 2015 and 2017 Auger Data Sets

	Auger 2015		Auger 2017	
$\gamma$	$-0.35^{+0.15}_{-0.08}$		$-0.70^{+0.12}_{-0.08}$	
$R_{\max}$ (GV)	$(2.8 \pm 0.2) \cdot 10^9$		$(2.5 \pm 0.1) \cdot 10^9$	
$m$	0.0 (fixed)		0.0 (fixed)	
$\delta_E$	0.0 (fixed)		0.0 (fixed)	
$f_A$ (%)	H	He	H	He
	$5.8^{+22.0}_{-5.8}$	$89.9^{+0.6}_{-0.7}$	$9.7^{+17.1}_{-9.7}$	$87.8^{+0.5}_{-0.6}$
	N	Si	N	Si
	$4.0 \pm 0.2$	$0.3 \pm 0.0$	$2.4 \pm 0.2$	$0.1 \pm 0.0$
	Fe	Fe	Fe	Fe
	$0.0^{+4.6}_{-0.0} \cdot 10^{-3}$		$(3.7 \pm 2.0) \cdot 10^{-3}$	
$I_A^9$ (%)	H	He	H	He
	$0.6^{+3.0}_{-0.6}$	$46.7^{+1.6}_{-1.8}$	$0.8^{+1.9}_{-0.8}$	$47.9^{+1.3}_{-1.4}$
	N	Si	N	Si
	$39.9^{+1.2}_{-1.3}$	$12.8^{+1.1}_{-1.2}$	$37.9^{+1.5}_{-1.6}$	$11.4^{+2.2}_{-2.3}$
	Fe	Fe	Fe	Fe
	$0.0^{+1.0}_{-0.0}$		$2.1 \pm 1.1$	
$\chi^2/\text{dof}$	44.4/22		65.3/22	

**Note.** For all quantities, the  $1\sigma$  uncertainties (for 1 dof) are given.

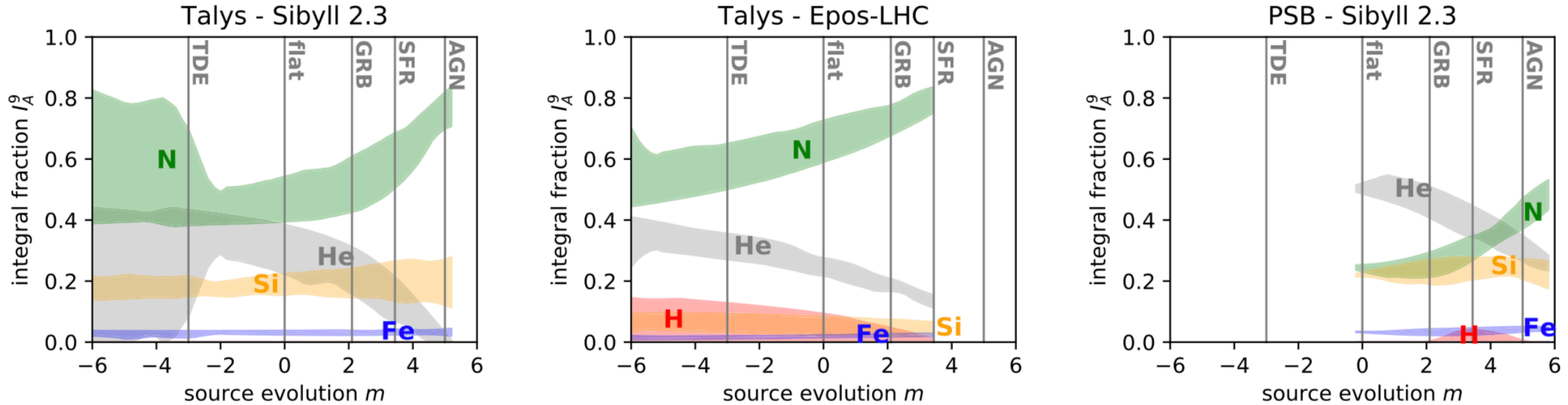
**Table 3**

Best-fit Parameters for the 3D Parameter Scan with Free Source Evolution for the Baseline Case of the Combination TALYS–SIBYLL 2.3

	TALYS–SIBYLL 2.3		
$\gamma$	$-0.80^{+0.27}_{-0.23}$		
$R_{\max}$ (GV)	$(1.6 \pm 0.2) \cdot 10^9$		
$m$	$4.2^{+0.4}_{-0.6}$		
$\delta_E$	$0.14^{+0.00}_{-0.03}$		
$f_A$ (%)	H	He	N
	$0.0^{+42.6}_{-0.0}$	$82.0^{+3.8}_{-6.4}$	$17.3^{+1.0}_{-1.1}$
	Si	Fe	
	$0.6 \pm 0.1$	$(2.0 \pm 0.8) \cdot 10^{-2}$	
$I_A^9$ (%)	H	He	N
	$0.0^{+1.2}_{-0.0}$	$9.8^{+2.8}_{-2.9}$	$69.2^{+1.5}_{-1.6}$
	Si	Fe	
	$17.9^{+3.2}_{-3.5}$	$3.2^{+1.2}_{-1.3}$	
$\chi^2/\text{dof}$	27.0/21		

**Note.** For all quantities, the  $1\sigma$  uncertainties (for 1 dof) are given.

# Allowed composition ranges



**Figure 8.** Ranges in the fraction allowed within  $3\sigma$  (for 2 dof) as a function of the source evolution parameter. The fractions are defined by integrating the injection spectrum from  $E_{\min} = 10^9$  GeV; see Equation (6). Left: TALYS–SIBYLL 2.3 (baseline model); middle: TALYS–EPOS-LHC; right: PSB–SIBYLL 2.3.