Evidence for UHECR origin in starburst galaxies

by

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Starburst galaxies as sources

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- production of supernovae
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- production of supernovae
- most star forming regions around the center
- overall production of winds collectively create expanding bubbles
- scenario for shock acceleration
- multiple shocks: hardening of the spectrum [doi:10.1017/S1323358000019858]

$$f(p) \propto p^{-4} \longrightarrow f(p) \propto p^{-3}$$

From the PAO highlights by Antonella Castellina

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- intermediate scale anisotropy: SBG catalogue correlation
 - ▶ above 38 EeV
 - ▶ angular scale 15°
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b spectrum at the source $\sim 1 - 1.5$ [1612.07155, 1505.02153]

Observed end of the spectrum

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- our approach is to combine both at SBGs
- if acceleration lasts enough, the CMB becomes relevant

Acceleration mechanism

diffusive shock acceleration at each shock

$$g = \frac{\mathrm{d}E}{\mathrm{d}t} = \left\langle \frac{\Delta E}{E} \right\rangle \frac{E}{T_{\mathrm{cycle}}}$$
$$\left\langle \frac{\Delta E}{E} \right\rangle \sim \frac{4}{3}(u_1 - u_2) \qquad T_{\mathrm{cycle}} = 4\kappa \left(\frac{1}{u_1} + \frac{1}{u_2}\right)$$
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for typical shock parameters

$$g = \frac{3}{20} ZeBu^2$$

Iuminosity carried by the plasma [doi:10.1086/191522]

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bounds on magnetic field for $L_{\rm IR} \sim 10^{43.9} \, {\rm erg/s}$

 $15\,\mu{\rm G} \lesssim B \lesssim 150\,\mu{\rm G}$

CMB mean free path

CMB photons excite giant dipole resonance producing nuclei photodisintegration

$$\tau_{\rm CMB}(E) = \left[\frac{c}{4\pi^2} \left(\frac{m}{\hbar cE}\right)^3 \int_0^\infty \frac{J(\varepsilon)}{e^{\varepsilon/kT'(E)} - 1} d\varepsilon\right]^{-1}$$
$$J(\varepsilon) = \int_0^\varepsilon \varepsilon' \sigma(\varepsilon') d\varepsilon'$$
$$T'(E) = \frac{2 E T_{\rm CMB}}{A m c^2}$$

CMB mean free path



P pdf of photodisintegration at a time in [t, t + dt]

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▶ pdf of photodisintegration at a time in [t, t + dt] $f(t) = \frac{1}{\tau} \exp\left(-\int_0^t \frac{dt'}{\tau}\right)$

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$$h(E) = \frac{1}{g\tau(E)} \exp\left(-\int_{E_0}^{E} \frac{dE'}{g\tau(E)}\right)$$

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 \blacktriangleright probability of reaching an energy E

$$\mathcal{H}(E) = \exp\left(-\int_{E_0}^E \frac{dE'}{g\tau(E)}\right)$$





energy cutoff at peak of h

$$1 + g \left. \frac{\mathrm{d}\tau}{\mathrm{d}E} \right|_{E=E_c} = 0$$

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b wide distribution \rightarrow dispersion in maximum energy

Energy cutoff



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 - impossible



- tune the composition ratios to find the all particle spectrum
- calculate the spectral index
- understand and solve the transport equation at the wave front with CMB absorption for a single species
- couple the equations for different species

